

RF Noise Simulation for Submicron MOSFET's Based on Hydrodynamic Model

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Outline

- Motivation
- Simulation Method
- Validity Examination
- Drift-Diffusion Model vs. Hydrodynamic Model
- Simulation Results for 0.25 μ m nMOSFET
- Conclusions



Motivation

(RF CMOS)

- Rapid f_t increase of MOSFETs, driven by the microprocessor industry, attracts RF designers.
- Promise of integrating whole systems on a single chip.
- Noise behavior in short channel MOSFETs is not well understood yet.



Motivation *(Continue)*

(MOSFET Noise)

- Flicker ($1/f$) Noise
 - ✧ Dominant up to few MHz range
 - ✧ Significant in mixer circuits (Up-conversion Error)
- Shot Noise
 - ✧ Dominant in the subthreshold region
- Thermal Noise (Velocity Fluctuation Noise)
 - ✧ Dominant in high frequencies



Motivation *(Continue)*

(HF MOSFET Noise - Thermal)

- Excess drain noise in short channel MOSFETs caused by carrier heating near drain junction.
 - A. A. Abidi (IEEE TED, 1986)
 - B. Wang et al. (IEEE JSSC, 1994)
- Induced gate noise due to the distributed nature of MOS devices.
 - Introduced by A. van der Ziel in 1976
 - NO QUANTITATIVE report to date
 - D. K. Shaeffer et al. (IEEE JSSC, 1997)



Simulation Method

(1D vs. 2D/3D)

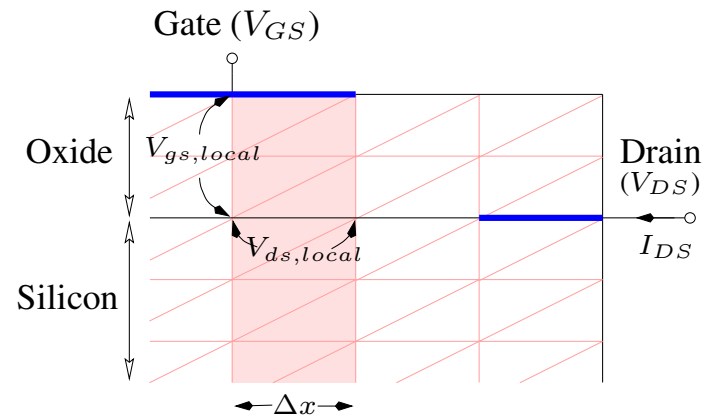
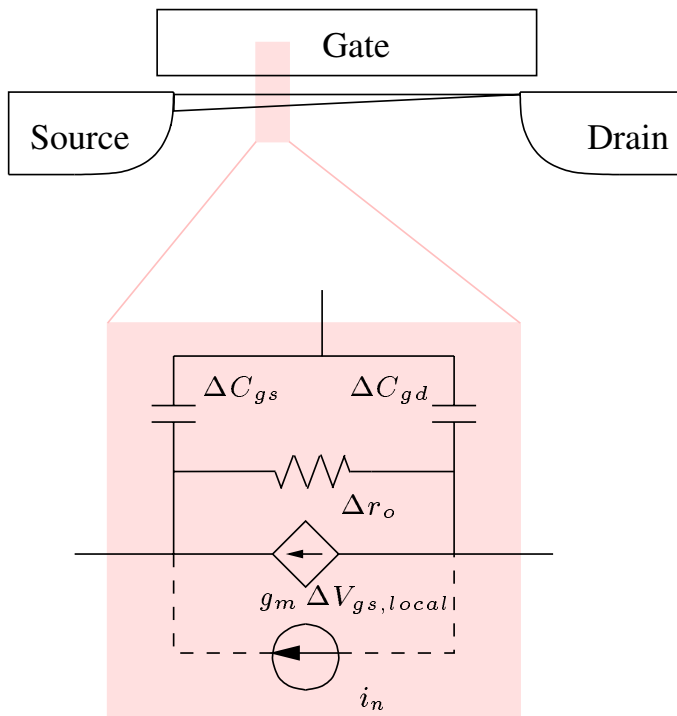
- 1D Approach
 - Using transmission line analogy
 - Reasonable computational cost
 - Poor accuracy
- 2D/3D Approach
 - Impedance Field Method + Adjoint analysis
 - Better accuracy, incorporating 2nd order effects
 - Expensive in implementation and simulation (no HD to date)



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Simulation Method *(Continue)*

(Hybrid Approach)



$$\Delta C_{gs} + \Delta C_{gd} = \frac{\Delta Q_{inv}}{\Delta V_{gs,local}}$$

$$\Delta r_o = \frac{\Delta V_{ds,local}}{\Delta I_{DS}}$$

$$g_m = \frac{\Delta I_{DS}}{\Delta V_{gs,local}}$$

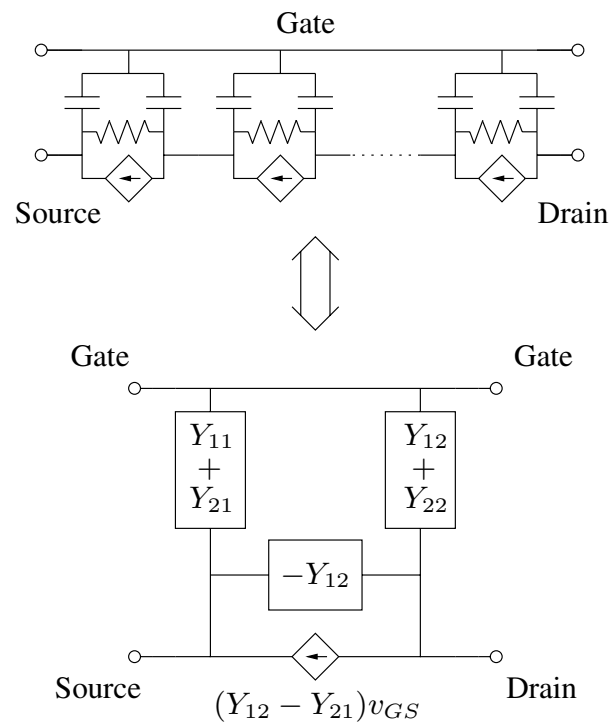
$$\Delta S_{in} = 4kT_n \frac{I_{DS}}{V_{ds,local}}$$



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Validity Check - I

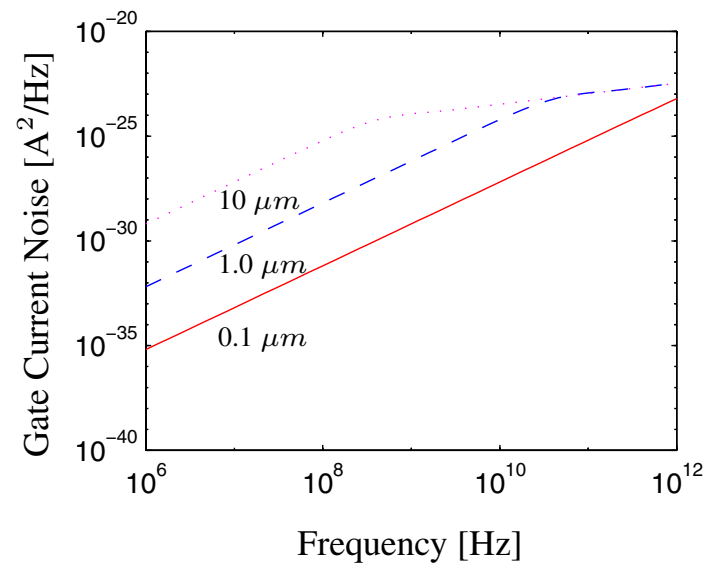
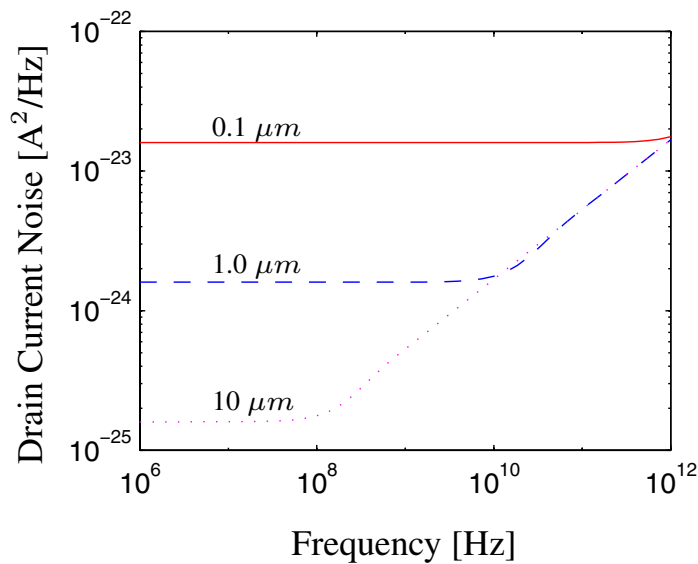
(First-Order Network Parameters)



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Validity Check - II

(Non-segmented Uniform Transmission Line)



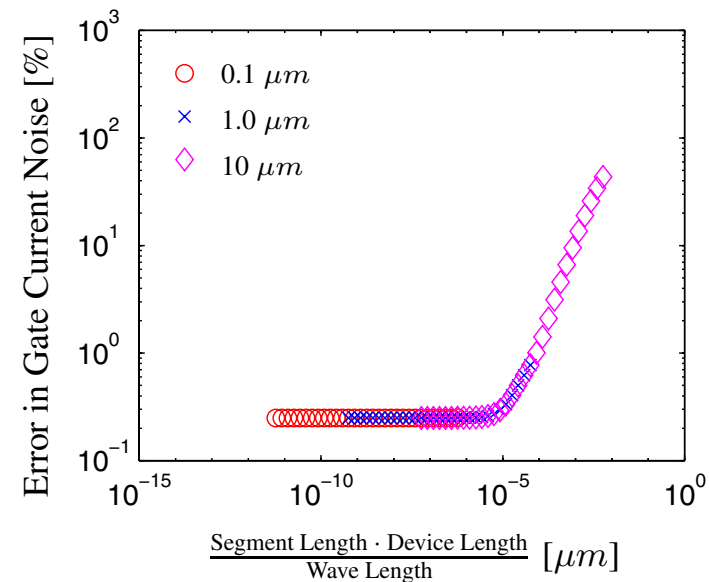
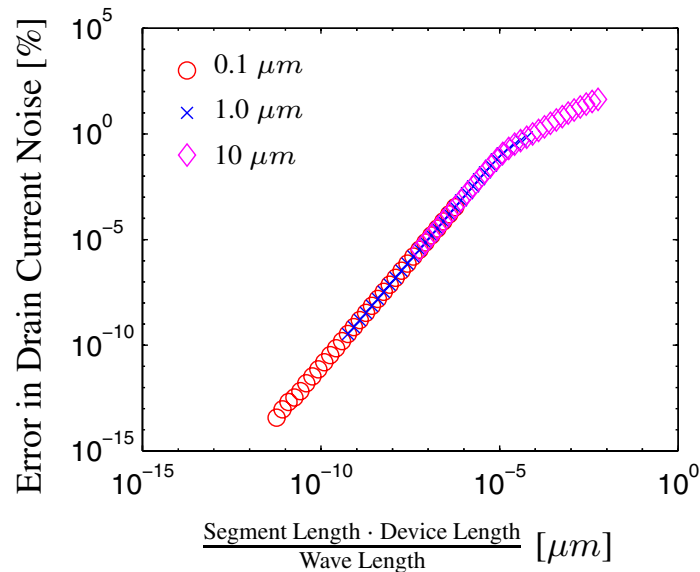
for $V_{DS}=0V$



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Validity Check - II (Continue)

(Segmentation Error for Uniform Transmission Line)



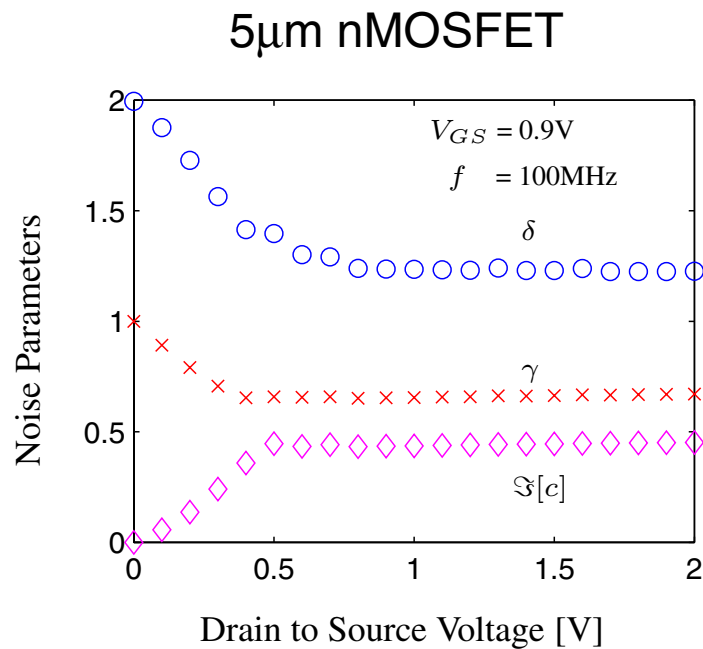
$\Delta x L/\lambda=10^{-5}\mu\text{m}$ corresponds to 280GHz for $L=0.25\mu\text{m}$ divided into 20 segments



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Validity Check - III

(Long Channel MOSFET Case)



Classical Values

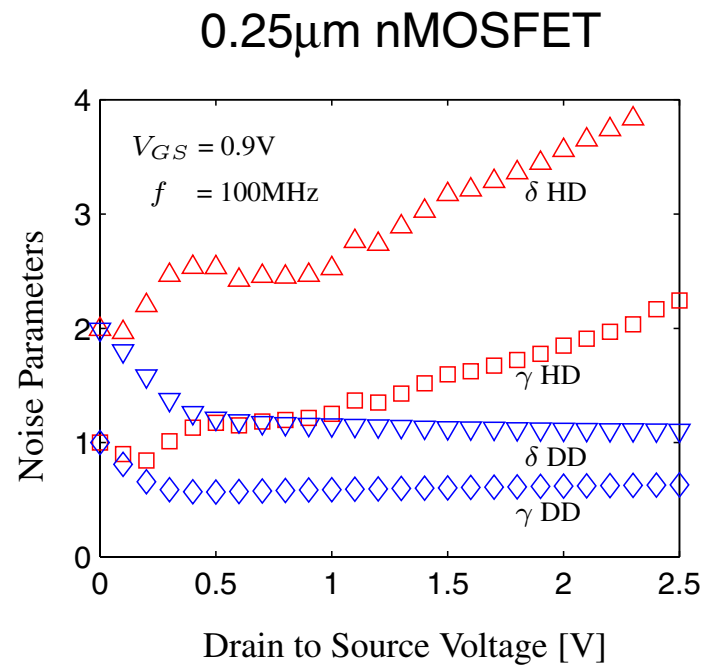
$$\begin{aligned} \gamma &= 1.0 && \text{(Linear)} \\ &= 2/3 && \text{(Saturation)} \\ \delta &= 4/3 && \text{(Saturation)} \\ c &= j0.395 && \text{(Saturation)} \end{aligned}$$

$$\begin{aligned} \gamma &= \frac{\overline{i_d^2}}{4kT \Delta f g_{d0}} \\ \delta &= \frac{\overline{i_g^2}}{4kT \Delta f \Re[Y_{GS}]} \\ c &= \frac{\overline{i_g i_d^*}}{\sqrt{\overline{i_g^2} \overline{i_d^2}}} \end{aligned}$$



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Short Channel Effect (Drift-Diffusion vs. Hydrodynamic)



Comparison to Measured Data

(γ - δ - c vs. F_{min} - R_n - Y_{opt})

- Intrinsic
 - ✧ Drain Noise
 - ✧ Gate Noise
 - ✧ Correlation
- Extrinsic
 - ✧ Interlayer Capacitance
 - ✧ Gate Resistance
- Parasitic
 - ✧ Pad Loss
 - ✧ Routing Inductance

$$F_{min} = 1 + 2R_n(G_{opt} + G_c) \\ \approx 1 + 2R_n G_{opt}$$

$$R_n = |B|^2 \frac{\overline{i_d^2}}{4kT\Delta f}$$

$$G_{opt} = \sqrt{\frac{G_u}{R_n} + G_c^2} \approx \sqrt{\frac{G_u}{R_n}}$$

$$B_{opt} = -B_c$$

$$Y_c = \frac{D}{B} - \frac{c}{B} \sqrt{\frac{\overline{i_g^2}}{\overline{i_d^2}}} \approx \frac{D}{B}$$

$$G_u = (1 - |c|^2) \frac{\overline{i_g^2}}{4kT\Delta f}$$

$$B = \frac{1}{Y_{21} + Y_{22}}$$

$$D = \frac{Y_{11} + Y_{12}}{Y_{21} + Y_{22}} + 1$$

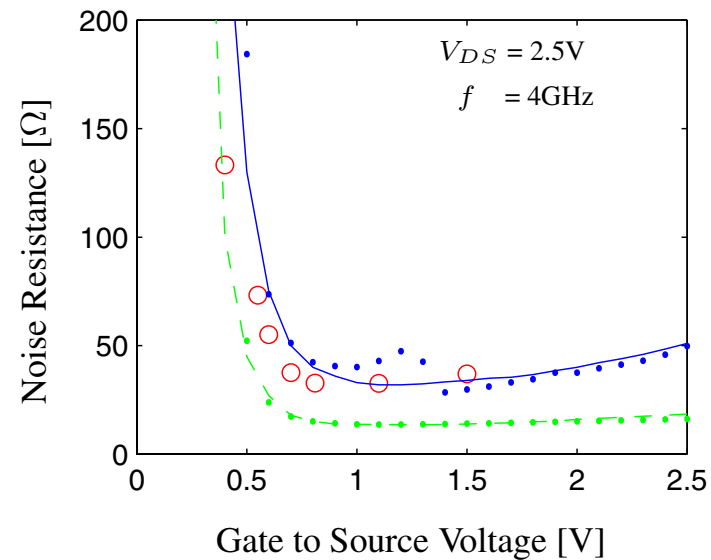
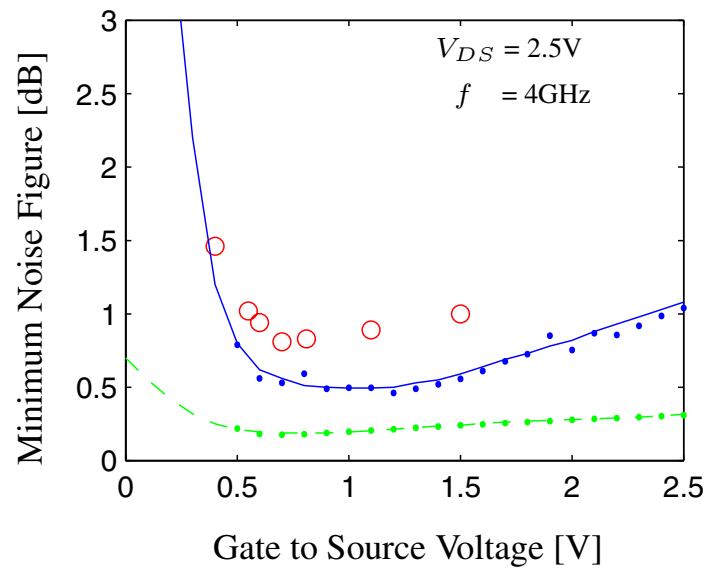


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Four Noise Parameters I

(Intrinsic)

0.25 μ m nMOSFET



Red : Measured Data
Blue : Hydrodynamic Simulation
Green : Drift-Diffusion Simulation

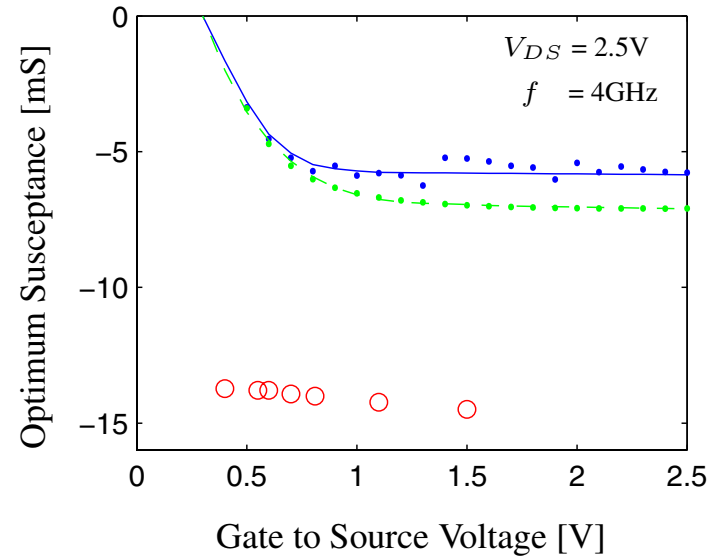
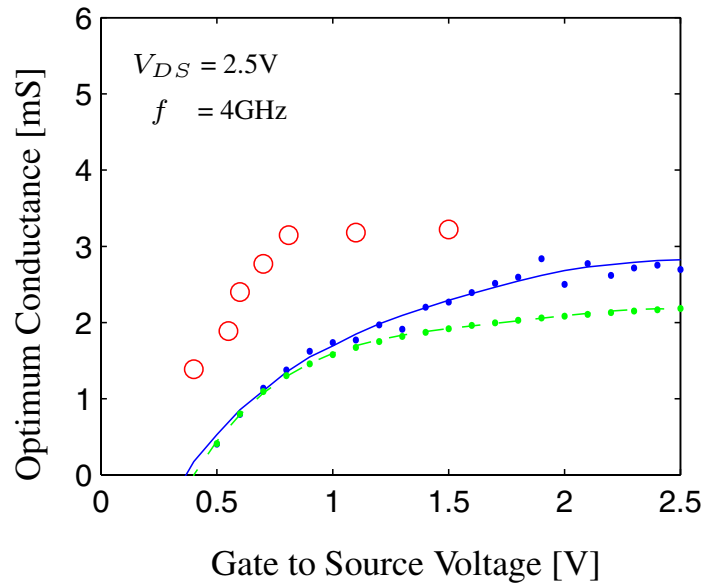


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Four Noise Parameters II

(Intrinsic)

0.25 μ m nMOSFET



Red : Measured Data
Blue : Hydrodynamic Simulation
Green : Drift-Diffusion Simulation

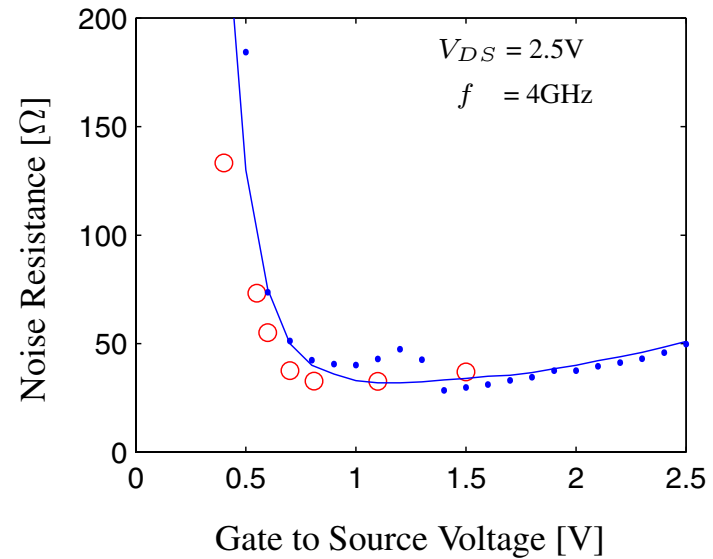
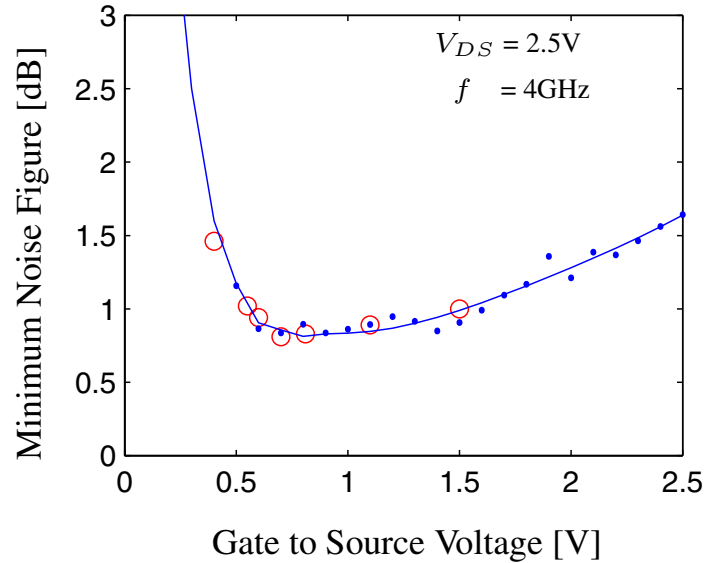


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Four Noise Parameters I

(After correction for the loss due to G_{opt})

0.25 μ m nMOSFET



Red : Measured Data
Blue : Hydrodynamic Simulation

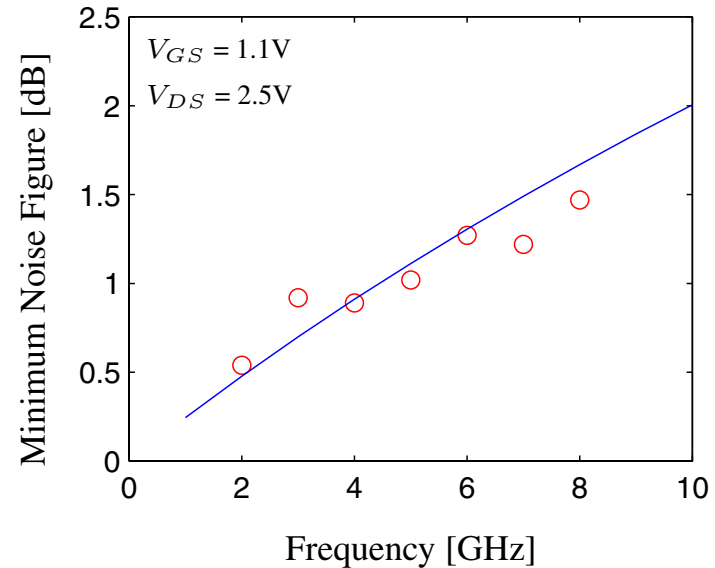
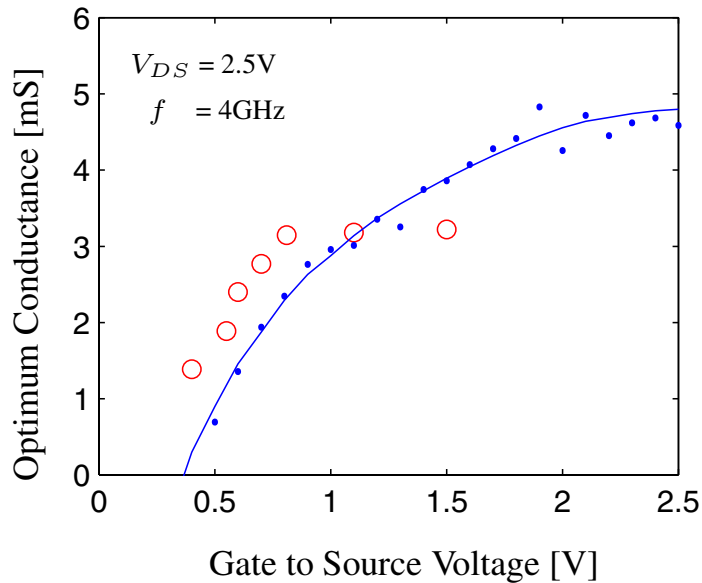


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Four Noise Parameters II

(After correction for the loss due to G_{opt})

0.25 μ m nMOSFET



Red : Measured Data
Blue : Hydrodynamic Simulation



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Conclusions

- Accurate and efficient noise simulation technique :
1D active transmission line + 2D device simulation
- First known attempt to use an advanced (HD) transport model for 2D noise analysis
- First successful noise simulation results for deep submicron MOSFETs

